Computer

COMPUTER GENERATED SEA-LEVEL PRESSURE

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1. INTRODUCTION

Unmanned weather stations are an important and economical source of weather data. Information is available from remote areas where staffing is difficult. Staffs at small stations can be reduced. Finally, personnel are free to perform other services. There are important differences between automatic reports and those recorded by people. Likewise, there are different types of automatic gram written to compute sea-level pressure stations. These differences are discussed in (1). However, the basic elements of an observation are the same; i.e. sky cover, visibility, temperature, dewpoint, wind speed and direction, and altimeter setting. One element not provided by the automatic station is sea-level pressure. This paper demonstrates a method to automate computation for all weather stations manned and unmanned.

2. METHODOLOGY

A pressure-reduction ratio table is calculated for every ten degrees Fahrenheit. The range covers the absolute minimum to the absolute maximum temperatures of a station. A complete description of the process is discussed in (2). An estimation of the reduction constants is accomplished by multiple linear regression. The equations take the form

$$r = B_0 - B_1 T + B_2 T^2$$
 (1)

r is the reduction constant

$$T = \frac{T_{12} + T_{c}}{2}$$

and I_{12} is the temperature 12 hours ago To is the current temperature

Bo, B1, and B2 are computed for each station

Each station has a unique equation that can indeed provide a value that when multiplied by station pressure will yield sea-level pressure.

Equations were developed and a computer profor the following automatic stations:

- 1) Mount Shasta, California
- 2) Junction, Texas
- 3) Blue Canyon, California
- 4) Sexton Summit, Oregon 5) Big Piney, Wyoming 6) Meacham, Oregon

- 7) Marfa, Texas
- 8) Truth or Consequences, New Mexico
- Sidney, Nebraska
- 10) Wendover, Utah
- 11) Cody, Wyoming
- 12) Clayton, New Mexico
- 13) Fort Yukon, Alaska
- 14) Big Delta, Alaska 15) Gulkana, Alaska
- 16) Devils Lake, North Dakota
- 17) Sandburg, California
- 18) Aniak, Alaska
- 19) St. Johnsbury, Vermont
- 20) Greenville, Maine
- 21) Rome, Georgia
- 22) Nenana, Alaska
- 23) Iliama, Alaska
- 24) Worecster, Massachusetts
- 25) Port Heiden, Alaska
- 26) Chamberlain, South Dakota
- 27) Middelton Island, Alaska
- 28) Roseglen, North Dakota 29) Redig, South Dakota
- 30) Poplar Bluff, Missouri
- 31) Pequot Lake, Minnesota 32) Marseilles, Illinois
- 33) Page, Arizona
- 34) Caliente, Nevada
- 35) Valentine, Nebraska
- 36) Warroad, Minnesota 37) Elkhart, Kansas
- 38) Medicine Lodge, Kansas
- 39) Cross City, Florida 40) San Simeon, California

Reduction constant equations and elevation for some manned weather stations are listed below. Using these equations, sea-level pressure is computed and compared with recorded values.

a)	Amarillo, Texas 3604 feet r = 1.1486758200022341T + .00000057T ²	(2)
ъ)	Albuquerque, New Mexico 5314 feet r = 1.22634346000344341 + .000000861 ²	(3)
c)	Salt Lake City, Utah 4227 feet r = 1.1769878600027952T + .00000095T ²	(4)
d)	Denver, Colorado 5332 feet r = 1.2282655900034784T + .00000089T ²	(5)
e)	Pittsburgh, Pennsylvania 1225 feet r = 1.0487103400006944T + .00000017T ²	(6)
f)	Winnemucca, Nevada 4314 feet 2 r = 1.1810176500028653T + .00000105T	(7)
g)	Huntington, West Virginia 838 feet r = 1.0329101900004776T + .00000013T ²	(8)

$r = 1.01261229 - .00001810T + .00000004T^{2}$ (9)

h) Dulles, Virginia 323 feet

3. COMPUTATIONS

The following equations are used to compute sea-level pressure:

H = 145442.16*(1. - ((PA/29.921)**.1902632))

HA = (H + HF) *.00356616

PS = 29.921*((518.67 - HA)/518.67)**5.25588 r = $B_0 - B_1T + B_2T^2$ (1) SLP = (PS*r)*33.86389

where:

PA = altimeter setting at the station in inches;

HA = pressure altitude corresponding to altimeter setting;

HF = station elevation in feet;

PS = station pressure in inches (computergenerated);

SLP = sea-level pressure in millibars;
H = correction applied to station elevation.

The standard form equation (1) is replaced by equations 2-9 inclusive.

4. EXAMPLES

A few examples were computed, and the results tabulated below. Examples for Dulles and Pittsburgh were not made. If there is an interest, the computations are easily obtained.

Note the asterisked values of modeled SLP for Albuquerque and Denver. On April 22, 1980, at 16Z, Albuquerque recorded a sealevel pressure of 1013.9 mbs. The program generated a pressure of 1012.9 mbs. Likewise, Denver recorded a pressure of 1016.5 mbs on April 25, 1980, at 13Z. The program computed 1015.6 mbs. Verification shows the recorded values are indeed in error. The verification was done with the Department of Commerce Pressure Reduction Computer (WBAN 54-7-8). Errors of this nature can be avoided by using a computer program.

5. CONCLUSIONS

A computer program currently generates sealevel pressure every hour for 40 automatic stations. Also, up to 29 continuous hours of data are stored and displayed on the KCRT System (KCRT is a Keyboard Cathode Ray tube - a television-type display with a typewriter-like keyboard).

If a station records a pressure that appears to be doubtful, a verification procedure is available. A surrounding station can compute the pressure if all the parameters are available.

It should be obvious that automation can play a major role in performing routine tasks at a weather station. Amarillo, Texas

Amaritan, revi	4.0			CT D	GT D
DATE/TIME	T	PA	PS	SLP	SLP modeled
04/21/80/18Z 04/21/80/19Z 04/21/80/20Z 04/22/80/12Z 04/22/80/13Z 04/22/80/14Z	71 69 69 66 64 63	009 006 004 999 001 002	26.376 26.349 26.331 26.286 26.304 26.313	1014.4 1013.6 1012.9 1011.5 1012.5 1013.0	1014.4 1013.6 1012.9 1011.5 1012.5 1013.0
04/22/80/15Z 04/22/80/16Z 04/22/80/16Z 04/22/80/17Z 04/22/80/18Z 04/22/80/19Z 04/22/80/20Z	61 62 65 66 66 70	002 002 001 999 997 994	26.313 26.313 26.304 26.286 26.268 26.241	1013.4 1013.2 1012.5 1011.6 1011.1 1009.4	1013.3 1013.1 1012.4 1011.5 1010.8 1009.3
Albuquerque, i	New Me	xico			
04/22/80/12Z 04/22/80/13Z 04/22/80/14Z 04/22/80/15Z 04/22/80/16Z 04/22/80/17Z 04/22/80/18Z 04/22/80/19Z 04/22/80/20Z	54 56 56 59 58 60 60 62 62	005 006 007 007 007 005 003 000 997	24.715 24.723 24.731 24.731 24.731 24.715 24.697 24.672 24.646	1013.0 1012.8 1013.1 1012.5 1013.9 1011.5 1010.8 1009.5 1008.4	1012.9 1012.8 1013.2 1012.5 1012.7 * 1011.6 1010.9 1009.5 1008.4
Winnemucca, N	evada				
04/25/80/12Z 04/25/80/13Z 04/25/80/14Z 04/25/80/16Z 04/25/80/17Z	48 46 48 49 50	005 005 006 006 005	25.655 25.655 25.663 25.663 25.655	1016.4 1016.7 1016.8 1016.7 1016.2	1016.1 1016.5 1016.5 1016.3 1015.9
Salt Lake Cit	y, Uta	h			
04/25/80/13Z 04/25/80/14Z 04/25/80/15Z 04/25/80/16Z 04/25/80/17Z	56 55 57 56 56	996 997 998 999 998	25.658 25.668 25.676 25.685 25.676	1011.8 1012.4 1012.5 1013.0 1012.5	1011.7 1012.2 1012.1 1012.7 1012.3
Denver, Colorado				SLP	SLP
DATE/TIME	T	PA	PS	observed	modeled
04/25/80/13Z 04/25/80/14Z 04/25/80/15Z 04/25/80/16Z 04/25/80/17Z	41 41 41 40 43	002 004 005 007 008	24.672 24.689 24.698 24.715 24.724	1016.5 1016.3 1016.6 1017.0 1017.3	1015.6 * 1016.3 1016.6 1017.5 1017.2
Huntington, W	est Vi	rginia			
04/25/80/12Z 04/25/80/13Z 04/25/80/14Z 04/25/80/15Z 04/25/80/16Z 04/25/80/17Z	54 54 54 52 51 50	994 995 995 996 996 996	29.044 29.054 29.054 29.063 29.063 29.063	1013.7 1014.0 1014.7 1014.7 1014.7	1013.7 1014.1 1014.5 1014.5 1014.5

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REFERENCES

- (1) U.S. Department of Commerce, 1979. User's Guide to the Automatic Observing Station.
- (2) U.S. Weather Bureau, 1963. Manual of barometry, Department of Commerce, Vols. 1 and 2. See chapter 7, page 7-5, section 9.0.5.